

# A Probabilistic Approach to Improved Antibiotic Therapy

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## Abstract

PTA is a decision-theoretic expert system that aims to assist clinicians in diagnosing and treating patients with pneumonia in the intensive care unit. Its underlying probabilistic network model includes knowledge for diagnosing pneumonia on the basis of the likelihood of tracheobronchial-tree colonisation by pathogens, and symptoms and signs actually present in the patient. Optimal antibiotic therapy is selected by balancing the expected efficacy of treatment, which is related to the likelihood of pathogen-specific pneumonias, against costs and side effects of treatment. In this article, the model underlying the system and results of a preliminary evaluation are described.

*Keywords:* medical decision support, probabilistic networks, Bayesian networks

## 1 Introduction

The medical community is presently in a state of transition from a situation dominated by the paper medical record to a future situation where all patient data will be available on-line by an electronic clinical information system. In many hospitals, laboratory data have already been stored and distributed by a hospital information system for some time. In technically more advanced hospitals, a number of wards in which the amount of data collected for a patient is huge, such as intensive care units (ICUs), have their clinical patient data already fully managed by a local clinical information system. The local system is usually capable of exchanging information with an available traditional hospital-wide information system.

However, it is not enough to provide facilities for storing and retrieving patient data to the clinician; clinical information systems should also offer facilities to assist clinicians in dealing with hard clinical problems, such as provided by facilities for decision support. In this paper, we describe the development of a decision-theoretic expert system [3], i.e. a system based on a combination of the theory of probabilistic networks (Bayesian belief networks) and decision theory [5], called *PTA* (Pneumonia Therapy Advisor), that is aimed at providing advice about the administration of appropriate antibiotic therapy to patients with pneumonia in the ICU.

## 2 Management of pneumonia at the ICU

Pneumonia is a frequently occurring clinical problem at the ICU. Many patients admitted to an ICU need respiratory support by a mechanical ventilator; in addition, many of these patients are affected by severe diseases which may result in depression of their immune system. Both conditions promote the development of bacterial pneumonia.

*Ventilator-associated pneumonia* (VAP) is a form of pneumonia that may arise in patients whom are mechanically ventilated [1]. The occurrence of VAP in a patient during a stay in the hospital is seen as a significant problem due to the presence of multi-resistant bacteria in clinical wards, in particular in the ICU.

Choosing an appropriate therapy for pneumonia not only involves the issue of susceptibility of pathogens to antibiotic drugs, but also of possible side effects and of future development of resistance to drugs. In the case of antibiotic therapy possible side effects are: renal failure, diminished hearing, epileptic seizures and allergic reactions varying from skin rash to anaphylactic shock. Clearly, the decisions about appropriate antibiotic therapy must be made on the grounds of a lot of uncertain medical knowledge. In particular, making decisions concerning the initial therapy, called *empirical therapy*, for these patients is difficult because it takes at least 48 hours before the results of sputum cultures become available. Sputum cultures yield information of the identity and antibiotic susceptibility of pathogens. Hence, empirical antibiotic therapy, the subject on which PTA focusses, is usually prescribed without actually knowing the identity of the causative pathogens.

## 3 A probabilistic model of pneumonia

### 3.1 The probabilistic network formalism

A natural representation of the uncertainties involved in dealing with treatment of pneumonia is offered by the probabilistic-network formalism [4, 5]. A *probabilistic network* is an acyclic directed graph  $G = (V(G), A(G))$ , with a set of vertices  $V(G) = \{V_1, \dots, V_n\}$ , where each vertex  $V_i \in V(G)$  represents a discrete stochastic variable; a set of arcs  $A(G) \subseteq V(G) \times V(G)$  reflects all stochastic (conditional) independencies in the domain concerned. Arcs are often informally seen as to mirror causal or correlational influences among variables. On the set of variables  $\{V_1, \dots, V_n\}$  is defined a joint probability distribution  $\text{Pr}$  that can be factorised according to the topology of the graph as follows:

$$\text{Pr}(V_1, \dots, V_n) = \prod_{i=1}^n \text{Pr}(V_i | \pi(V_i))$$

where  $\pi(V_i)$  represents the set of variables associated with the parent vertices of  $V_i$ . This means that the joint probability distribution  $\text{Pr}(V_1, \dots, V_n)$  can be defined in terms of 'local' probability tables  $\text{Pr}(V_i | \pi(V_i))$  by assuming the variable  $V_i$  to be conditionally independent of all predecessors of the associated vertex  $V_i$  given the parents  $\pi(V_i)$ .

### 3.2 The VAP model

The probabilistic network model was developed with the help of a number of infectious disease experts and by consultation of the medical literature. Figure 1 gives an overview of the structure of the model. Boxes indicate processes that can be (partially) observed,

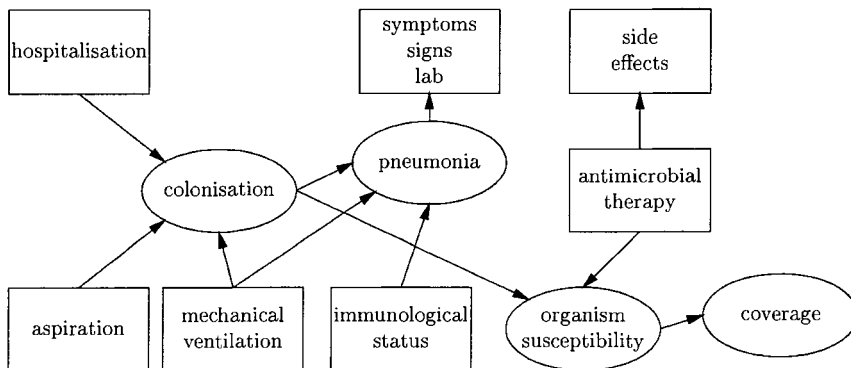


Figure 1: Global structure of probabilistic model.

or decisions that can be made by the clinician at the time of empirical therapy; ellipses indicate processes that cannot be observed at the time of empirical therapy selection.

Central to the model is the temporal process of *colonisation* of the laryngotracheobronchial tree by pathogens. The temporal nature of the process is expressed by the interaction between duration of stay at the ICU (*hospitalisation*) and the duration of *mechanical ventilation*: both duration of stay at the ICU and duration of mechanical ventilation are positively correlated to colonisation by pathogens. *Aspiration* of stomach content is another factor positively correlated to colonisation by certain pathogens (*Enterobacteriaceae*). When a patient is colonised by specific pathogens, there is a certain probability that *pneumonia* will develop. This is expressed in the graph by an arc from *colonisation* to *pneumonia*. Duration of mechanical ventilation and immunological status influence the probability that pneumonia develops as well; hence, an arc from these vertices to the *pneumonia* vertex is included in the model. When the patient is affected by pneumonia, certain symptoms, signs or laboratory abnormalities can be observed, as summarised in a corresponding vertex in the graph. Finally, the *susceptibility* of pathogens to particular antibiotic treatment is determined by the choice of medical treatment and the actually present pathogens causing infection. Some antibiotic drugs may give rise to certain side effects.

Some of the vertices shown in the graph in Figure 1 actually comprise a number of separate, but similar vertices. For example, colonisation by pathogens was modelled as a biological process, in which it was assumed that pathogens occur independently. Note that this representation allows for the presence in the patient of a pulmonary infection due to *multiple* organisms. Colonisation by 11 of the most frequently occurring pathogens, such as *Pseudomonas aeruginosa* and *Neisseria meningitidis*, is represented in the current model; similarly, the vertex *organism susceptibility* concerns the effects of antibiotic treatment on each of these 11 pathogens. In Figure 2, a small part of the model, only involving the vertices *hospitalisation*, *mechanical ventilation*, *colonisation* (e.g. COL.P.AERUGINOSA, i.e. colonisation by *Pseudomonas aeruginosa*), and *pneumonia* (e.g. P.AERUGINOSA.Pneumonia), *susceptibility* of pathogens to antimicrobial drugs, and *medication* is shown, restricted to 4 of the 11 included pathogens. Vertices with capital I are *instantiation vertices* (see below). The single vertex *coverage* represents the overall effect of the antibiotic drugs on the pathogens.

Antibiotic treatment consists of the selection of one or two different antibiotics – possibly also none – modelled by two identical therapy vertices; each therapy vertex

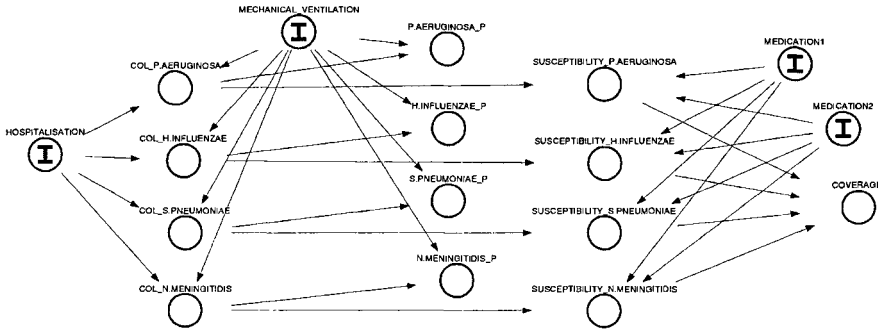


Figure 2: Part of a probabilistic VAP model.

includes 24 different antibiotic drugs (including none), yielding  $24^2 = 576$  possible combinations, of which  $\binom{23}{2} = 253$  (excluding ‘none’) are different, yielding a total of  $253 + 24 = 277$  (now including ‘none’ and single drugs) different therapies.

### 3.3 Decision-making capabilities

The efficacy of treatment for a patient can be examined by entering observed symptoms and signs in the patient, duration of hospitalisation, mechanical ventilation, previously experienced side effects of antibiotic therapy, and laboratory data. Treatment selection is flexible in the sense that only data concerning vertices that are denoted as instantiation vertices must be supplied always; although entering more patient data may provide additional evidence concerning the cause of pneumonia, the model can be used even when most other findings are unknown. Using the probabilistic inference algorithm as described in [2], the probability distribution defined on the *coverage* variable can be updated, yielding a posterior probability of coverage of all possible pathogens  $\text{Pr}^*$  reflecting knowledge concerning all entered evidence (*Evidence*), i.e.

$$\text{Pr}^*(\textit{coverage}) = \text{Pr}(\textit{coverage} | \textit{Evidence})$$

Particular vertices without parents were indicated as instantiation vertices. This means that a value for the corresponding variable must always be supplied, yielding additional stochastic independence information. In this way, the speed of probabilistic inference could be dramatically improved.

By defining a utility measure in terms of coverage, it is possible, in principle, to automatically determine the treatment that gives optimal coverage by computation of the maximum expected utility. However, since the number of possible drug combinations was 576, computation of optimal therapy was practically infeasible. As a practical solution to this problem, we have restricted the 277 different therapies to the 32 different therapies considered adequate for most patients; this therapy choice is then represented as a single vertex.

## 4 Evaluation

The present structure of the network has a strong logical foundation, and we therefore believe it to be basically correct. There may be particular arcs missing due to gaps in the medical knowledge concerning pneumonia. However, correlations due to missing

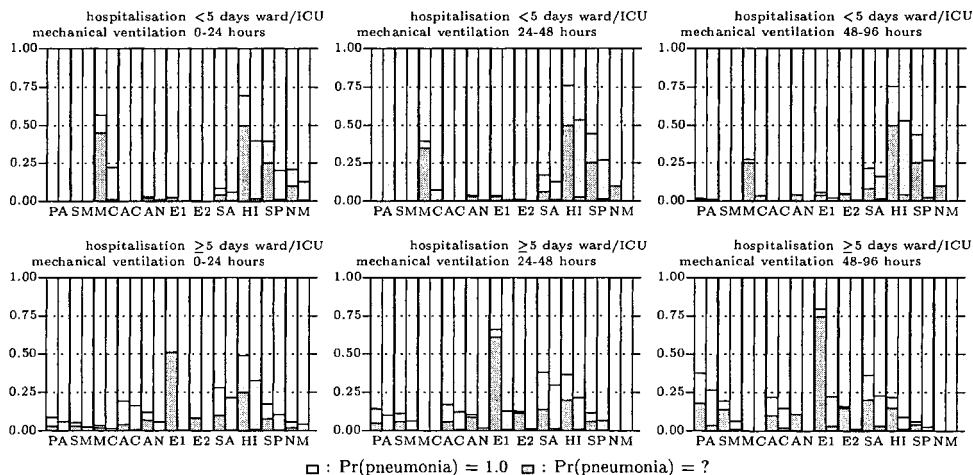


Figure 3: Obtained predictions after entering information concerning duration of hospitalisation and mechanical ventilation. Names of pathogens have been abbreviated. For each pathogen, the probability of colonisation and pneumonia are depicted, in that order.

medical knowledge are likely to be weak, and hence have little effect on the probability distribution.

In addition to the structure of a probabilistic network, the accuracy of the represented probabilistic information is an issue that requires attention. This has been investigated in two ways. First, some of the vertices in the model were instantiated (i.e. a specific value was chosen), and the resulting posterior probability distribution was compared with frequency of occurrence information available from the ICU; see Figure 3. It appears that the patterns of frequency of colonisation and pneumonia for particular pathogens changes with duration of stay at the hospital. For example, the relative frequency of colonisation and pneumonia by *Moraxella catharrhalis* (MC in the figure), which is high when entering the hospital, decreases during the first 96 hours of mechanical ventilation (upper three graphs), to become nearly absent when the patient has stayed more than five days in hospital. This frequency decreases to nearly zero for patients whom are mechanically ventilated during the next 96 hours (lower graph). In contrast, the relative frequency of colonisation and pneumonia with *Pseudomonas aeruginosa* rises after a stay of more than five days in the ICU, which is increased even further due to mechanical ventilation. These observations did agree with expert opinion.

Furthermore, the conclusions obtained with the model were examined for a group of 12 patients, drawn from the files of the ICU. For these patients, the system selected the therapy that best covered suspected pathogens. Similarly, a specialist in infectious disease was requested to select the best antibiotic therapy, and also to classify recommendations made by the system as being either acceptable, unacceptable or second best choice. The results are shown in Table 1. It appears that in 8 cases the model prescribed a therapy that covers more pathogens than the therapy prescribed by the expert. This is caused by the fact that the present model does not take broadness of antimicrobial spectrum into account. All 12 prescriptions were considered acceptable

Table 1: Results for 12 patients. Meaning of abbreviations: Hosp: Hospitalisation stay and location;  $\geq 5$ daysW/IC:  $\geq 5$  days in hospital (at ward or ICU); Vent: duration of mechanical ventilation in hours; colonisation HI: colonisation by *H. influenzae*; Diff  $x/y$ : position  $x$  out of  $y$  different groups of drugs, ordered according to probability (from high to low) and grouped when probabilities were equal; Aug+Gen: Augmentin + Gentamycin; acceptable: advice of PTA is acceptable according to the expert; 2nd best: advice of PTA is second best choice of expert; Cov: coverage of recommendation by PTA; <: less broad spectrum; =: similar spectrum; >: broader spectrum.

n	Hosp	Vent	Extra Info	Expert Advice	Diff	PTA	Assessment	Cov
1	<5days	24-48	colonisation HI	Augmentin	3/21	Aug+Gen	acceptable	>
2	<5days	48-96	colonisation HI+SA	Augmentin	8/19	Aug+Gen	acceptable	>
3	<5days	48-96	colonisation SA	Augmentin	8/21	Aug+Gen	acceptable	>
4	<5days	48-96	-	Augmentin	3/21	Aug+Gen	acceptable	>
5	<5days	48-96	-	Augmentin	4/22	Aug+Gen	2nd best	>
6	<5days	48-96	-	Augmentin	5/21	Aug+Gen	acceptable	>
7	<5days	48-96	-	Augmentin	4/23	Aug+Gen	acceptable	>
8	<5days	24-48	COPD	Cefta+Tobra	5/23	Aug+Gen	2nd best	<
9	$\geq 5$ dW/IC	0-24	aspiration	Aug+Gen	7/28	Tazocin	acceptable	>
10	$\geq 5$ dIC	96-144	-	Cefta+Tobra	8/24	Tazocin	2nd best	=
11	$\geq 5$ dIC	>144	phagocytys dys	Cefta+Tobra	7/19	Tazocin	2nd best	=
12	$\geq 5$ dIC	>144	colonisation E1+E2	Imipenem	1/12	Imipenem	acceptable	=

or second best choice; none of the recommendations was considered unacceptable.

## 5 Discussion

Above, we have discussed the development of a decision-theoretic expert system that assists in exploring the diagnosis and treatment of ventilator-associated pneumonia. In the near future, we will design additional utility models, for example models that take into account antimicrobial spectrum and financial costs of antibiotics, to obtain a system that balances different costs and benefits of antibiotic drugs to reach optimal treatment. We intend to embed the resulting system in the clinical information system of the ICU.

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